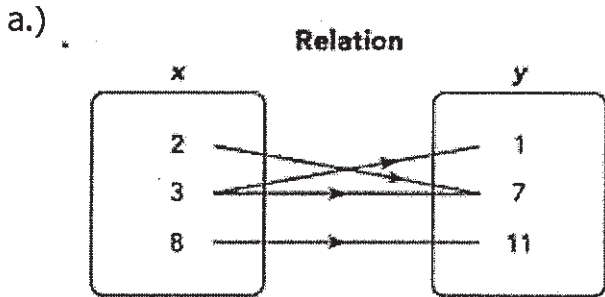


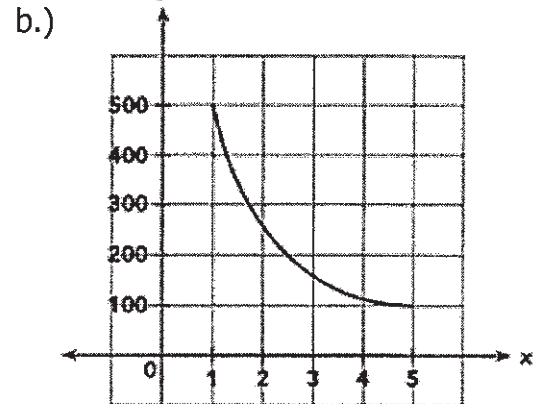
Review for Quest #8 - Linear and Nonlinear Functions

Name _____ Class _____

1.) Determine if the following relations are functions. Explain your reasoning.

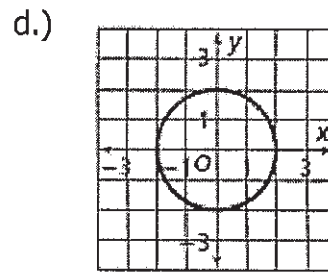


No this is not a function because an input has more than 1 output.

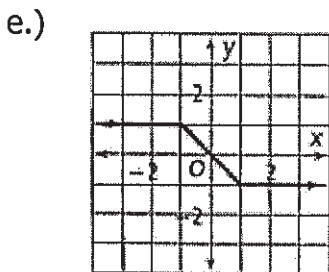


Yes - it passes the VLT

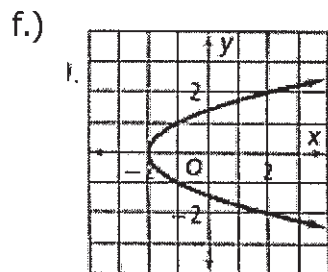
c.) $\{(1,1), (2,2), (3,5), (4,10), (5,15)\}$
Yes - each input has only 1 output.



No - it doesn't pass the VLT.



Yes, it passes the VLT.



No - it doesn't pass the VLT.

2.) Determine whether the relations below are linear or nonlinear. Explain your reasoning.

a.) $y = 2x - 5$

Linear -
Its in the format
 $y = mx + b$.

b.) $y = -3x^2 - 4$

Non-linear - there is a squared term.

c.) The equation $V = e^3$ gives the volume of a cube as a function of its edge length, e .

Nonlinear - there is a cubed term

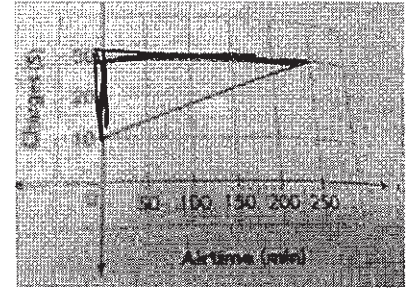
d.)

Input, Time (min)	1	2	3	4
Output, Temperature (°F)	-1	-2	-3	-4

$m = \frac{\Delta y}{\Delta x} = \frac{-1}{1} = -1 \rightarrow$ Linear - constant rate of change.

3.) Joey and Peter each pay a fixed amount each month to use a cell phone. They each also pay for each minute that they make calls on the phone.

a.) The graph shows the amount, y dollars, Joey pays in a given month, based on the airtime, x minutes, he uses to make calls. Write an equation that represents how much Joey pays in y dollars each month based on x minutes of airtime.



$$m = \frac{\Delta y}{\Delta x} = \frac{\$20}{250 \text{ min}} = \$0.08/\text{min}$$

$$b = \$10 \text{ (starts @ \$10)}$$

$$y = 0.08x + 10$$

b.) Peter pays \$20 each month and pays \$0.05 per minute. Write an equation that represents how much Peter pays in y dollars each month based on x minutes of airtime.

$$m = \$0.05/\text{min}$$

$$b = \$20$$

$$y = 0.05x + 20$$

c.) Who pays a greater initial fee? Explain.

Peter - he pays \$20 - Joey only pays \$10.

(A) Who pays more per ~~month~~ ^{minute}? Explain.

Joey - he pays \$0.08/min while Peter pays only \$0.05/min.

4.) The table shown represents a linear function.

a.) Find the slope and the y-intercept of the function.

$(-4, 2)$
 $(0, 5)$

$$\textcircled{1} m = \frac{5-2}{0+4} = \frac{3}{4}$$

$$\textcircled{2} y = \frac{3}{4}x + b$$

$$2 = \frac{3}{4}(-4) + b$$

$$2 = -3 + b \rightarrow b = 5$$

$$y = \frac{3}{4}x + 5$$

x	y
-4	2
0	5
4	8
8	11

b.) Which equation has a greater slope and a greater y-intercept than the linear function shown in the table? (4 points)

~~(A)~~ $y = x + 4$

~~(C)~~ $y = \frac{3}{4}x + 5$

$\textcircled{\text{B}}$ $y = 2x + 6$

~~(D)~~ $y = \frac{1}{2}x + 8$

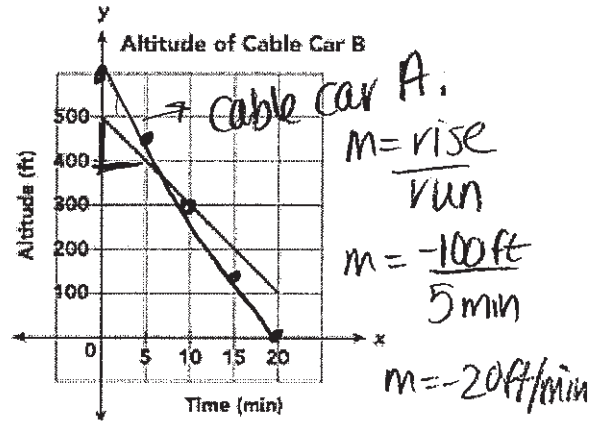
Explanation:

B has a slope of 2, which is greater than $\frac{3}{4}$.
B has a y-int. of 6, which is greater than 5.

- 5.) Two cable cars are descending from two separate stations. The altitude, y feet, of Cable Car A after x minutes is given in the table shown below. The graph below shows the altitude, y feet, of Cable Car B after x minutes.

Cable Car A

Time (min)	Altitude (ft)
0	600
5	450
10	300
15	150
20	0



$(0, 600)$
 $(5, 450)$

- a.) Determine an equation to model the path of Cable Car A.

① $m = \frac{450-600}{5-0}$

② $b = 600$
(starting amt)

$m = \frac{-150}{5} = -30 \text{ ft/min}$

$y = -30x + 600$

- c.) Which cable car is descending from a higher altitude? Justify your answer.

Cable car A - starts at 600 ft while B starts at 500 ft

- e.) How long will it take for the two cable cars to have the same altitude? What will that altitude be?

1) solve graphically
(see above)
 10 min

2) solve algebraically

$$\begin{array}{r} -30x + 600 = -20x + 500 \\ +30x \quad \quad +30x \\ \hline -600 = 10x + 500 \\ -500 \quad \quad -500 \\ \hline -100 = 10x \\ 100 = 10x \end{array} \rightarrow x = 10 \text{ min}$$

- 6.) Veronica created two functions.

For Function A, the value of y is seven less than three times the value of x . The table included represents Function B. In comparing the average rates of change, which statement about Function A and Function B is true?

- (A) Function A and Function B have the same rate of change.
(B) Function A has a greater rate of change than Function B.
(C) Function B has a greater rate of change than Function A.
(D) Function A and Function B both have a negative rate of change.

$(2, 17)$
 $(5, 23)$

x	y
-4	5
-1	11
2	17
5	23

$m = \frac{23-17}{5-2} = \frac{6}{3} = 2$
B $\rightarrow m = 2$

Function A:
 $y = 3x - 7$ $m = 3$